

# Proposal of New Block Cipher Algorithm

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## Abstract

Speed and complexity are two important properties in the block cipher. The block length of the block cipher controls these two aspects. The speed limitation enforces the designer to build block cipher system as hardware prototype. In the same manner, the key complexity aspect acts as increasing the block length, which will cause the increasing of complexity. In this paper, a proposed block cipher algorithm will be presented. Which includes non-linear function with new random key generators to generate all keys and a new approach for S-box is used in this algorithm.

## اقتراح خوارزمية جديدة للتشفير الكتلي

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### الخلاصة

السرعة والتعقيد صفتان مهمتان في التشفير الكتلي. طول الكتلة للتشفير الكتلي يسيطر على هاتين الصفتين. تقييد السرعة يفرضه المصمم لبناء التشفير الكتلي على شكل أجهزة. بنفس الطريقة تعقيد المفتاح يتناسب مع طول الكتلة. في هذا البحث سيتم اقتراح خوارزمية تشفير كتلي، تتضمن دوال لا خطية مع مولدات مفاتيح عشوائية جديدة لتوليد كل المفاتيح والطريقة الجديدة توفر صناديق S جديدة للخوارزمية المقترحة.

**Keywords:** Encryption, Decryption, Complexity, Keys, Random Generators.

## 1. Introductions

Cryptography and information security considered as important sciences in the world, especially after using the computer in these science. On other hand, the information and technology revolution and the armament race between the big powers give these priority because these science play a big role in the since more field [1]. On the other hand, in all these cases there is a growing need for

protection information to the safeguard economic interests, to prevent fraud and to ensure privacy [2].

The Cryptographic systems are classified into two cryptosystems, private-key cryptosystem and public-key cryptosystem. Both are based on complex mathematical algorithms and are controlled by keys. Block ciphers are a key part of encryption techniques. All block ciphers are symmetric functions that are used to encrypt plaintext data into an encrypted format. The data is encrypted in blocks of a fixed bit size and typically result in a block of cipher text of the same bit size. The encryption is accomplished using a key which is either provided by the user, or commonly created using a random number generator. The same key is used in the decryption process to obtain the original plaintext from a cipher text block. One extremely important feature of a block cipher is that it is one-to-one symmetric. That is, by applying the inverse of the encryption algorithm to a cipher text block, the original plaintext can be recovered [3].

## 2. Feistel Mode

In cryptography, a **Feistel cipher** is a symmetric structure used in the construction of block ciphers, named after the German IBM cryptographer Horst Feistel. A large proportion of block ciphers use the scheme, including the Data Encryption Standard (DES). The Feistel structure has the advantage that encryption and decryption operations are very similar, even identical in some cases, requiring only a reversal of the key schedule. Therefore the size of the code or circuitry required to implement such a cipher which is nearly halved. Feistel networks and similar constructions are product ciphers, and so combine multiple rounds of repeated operations, such as:

- Bit-shuffling (often called permutation boxes or P-boxes)
- Simple non-linear functions (often called substitution boxes or S-boxes)
- Linear mixing (in the sense of modular algebra) using XOR to produce a function with large amounts of what Claude Shannon described as "confusion and diffusion". Bit shuffling creates the diffusion effect, while substitution is used for confusion [4].

### 2.1 Confusion and Diffusion

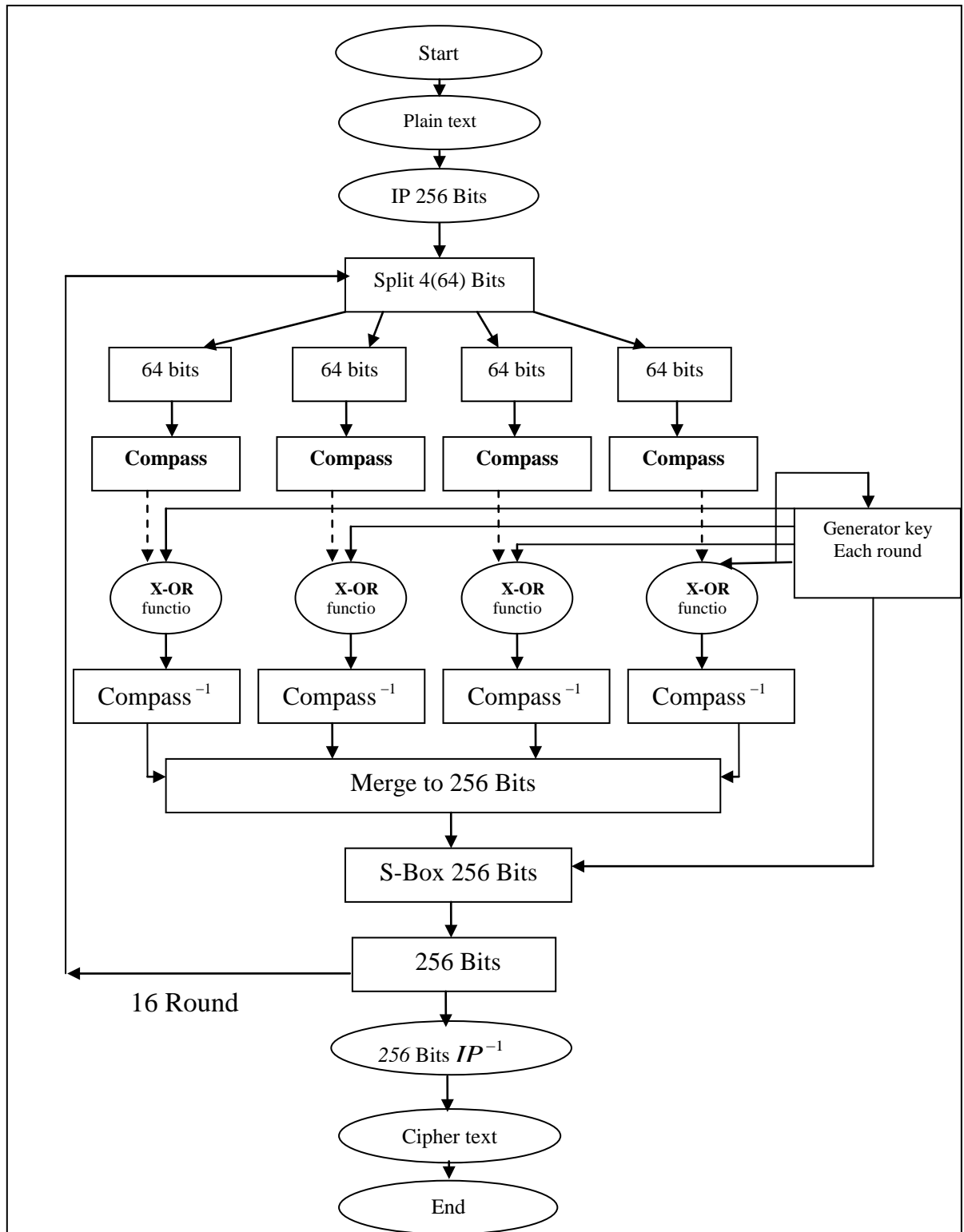
Successful block cipher designs often integrate the concepts of *confusion* and *diffusion*. These ideas were introduced by Shannon [5,6]. *Confusion* is a measure of the statistical properties of the input with relation to the output.

Essentially, looking at the output should give little or no information about the input; in short, the transformation should complicate the input such that the output bears little statistical relationship with the input. *Diffusion*, on the other hand, attempts to extend the influence of the input symbols over a wide range of output symbols in order to disguise the tendencies of the input. It must be noted that is not mandatory for both characteristics to be utilized to achieve secrecy.

Since the symbol length of a typical block cipher (64 bits) is often longer than the corresponding symbol in a stream cipher (8 or 32 bits), there are more possible bits positions, which necessitates and assists diffusion. A successful diffusion is one in which each plaintext bit and each key bit affects each and every ciphertext bit (in the case of encryption). This diffusion can be applied using a permutation which exchanges individual bit locations or sequential algebraic functions which combine and spread the influence of the inputs. A well diffused cipher will satisfy the strict avalanche criteria [7] whereby if a single bit changes in the input, then half of the output bits will change in a random manner.

### **3. Architecture of Proposed Block Cipher**

The proposed algorithm cipher system is designed in which it belongs to the class of feistel cipher algorithm with some addition points which cannot be considered as differences, because the main concepts are used but the structure is changed to increase the computational complexity, the block diagram of proposed block cipher is shown in figure(1) ,the proposed block algorithm are used more keys in encryption and decryption to increase complexity and the modify the structure increase complexity for cryptanalysis.



## Figure (1) block diagram of proposed block cipher

The encryption algorithm of single block is given:

### Algorithm Encryption :

#### INPUT:

$M=m_1\dots m_{256}$  (plain text)

$K =k_1\dots k_{256}$  (secret key)

#### OUTPUT:

$C=c_1\dots c_{256}$  (cipher text)

#### Begin

Generate master key as 256 bit from secret key using LFSR function,  
and given to generator function;

Use the IP permutation;

Split the plaintext into four arrays (64 bit), each of those 8x8 bits;

#### For $i=1$ to 16 do

##### Begin

Compute compass function for each part.

X-OR function with secret key for each part.

Compute Compass<sup>-1</sup> function for each part.

Merge four parts to 256 bit.

Compute the S-Box function.

##### End For

Use the IP<sup>-1</sup> permutation.

#### End

**Note: IP initial permutation and IP<sup>-1</sup> inverse permutation.**

Decryption is similar to the encryption algorithm, except the number round and keys order to compute the plaintext M.

### 3.1 Key Generation

The main target of designing the proposed algorithm is to use it as a part for data security in web site or mobile device when accesses remote

database system. This algorithm uses many keys with different lengths (64,256) for each round .So the keys are not completely entered by the user (i.e. all keys) because this process is difficult, Therefore the system must be provided with a random generator to generate all the keys needed in the system from the key that has been entered by the user. The system may use a type of key generator to supply the algorithm with the key.

### 3.2 Permutation

The 256 bits of the input block to be enciphered are first subjected to the following 16x16-matrix permutation, which is called the initial ***IP***:

242, 226, 210, 194, 178, 162, 146, 130, 114, 98, 82, 66, 50, 34, 18, 2  
 244, 228, 212, 196, 180, 164, 148, 132, 116, 100, 84, 68, 52, 36, 20, 4  
 246, 230, 214, 198, 182, 166, 150, 134, 118, 102, 86, 70, 54, 38, 22, 6  
 248, 232, 216, 200, 184, 168, 152, 136, 120, 104, 88, 72, 56, 40, 24, 8  
 250, 234, 218, 202, 186, 170, 154, 138, 122, 106, 90, 74,58, 42, 26,10  
 252, 236, 220, 204, 188, 172, 156,140, 124, 108, 92, 76, 60, 44, 28,12  
 254, 238, 222, 206, 190, 174,158, 142, 126, 110, 94, 78, 62, 46, 30,14  
 256, 240, 224, 208, 192, 176, 160, 144, 128, 112, 96, 80,64, 48, 32,16  
 241, 225, 209, 193 , 177, 161 , 145, 129, 113, 97, 81, 65, 49, 33, 17, 1  
 243, 227, 211, 195 , 179, 163 , 147, 131, 115, 99, 83, 67, 51, 35, 19, 3  
 245, 229, 213, 197, 181, 165, 149, 133, 117, 101, 85, 69, 53, 37, 21, 5  
 247, 231, 215, 199, 183, 167, 151, 135, 119, 103, 87, 71, 55, 39, 23, 7  
 249, 233, 217, 201, 185, 169, 153, 137, 121, 105, 89, 73, 57, 41, 25, 9  
 251, 235, 219, 203, 187,171,155, 139, 123, 107, 91, 75, 59, 43, 27, 11  
 253, 237, 221,205, 189, 173, 157, 141, 125, 109, 93, 77, 61, 45, 29,13  
 255, 239, 223, 207,191,175, 159, 143, 127, 111, 95, 79, 63, 47, 31, 15

The first bit of this permuted input is 242, while the second bit is 226, and so on until bit 15, which represents the last bit of this permutation, is reached. The complexity of the input permutation (initial) is increased by changing the location of the bit, and after that, the process can be done in reverse order by using inverse permutation ***IP<sup>-1</sup>*** :

144, 16, 160, 32, 176, 48, 192, 64, 208, 80, 224, 96, 240, 112, 256, 128  
 143, 15, 159, 31, 175, 47, 191, 63, 207, 79, 223, 95, 239, 111, 255, 127  
 142, 14, 158, 30, 174, 46, 190, 62, 206, 78, 222, 94, 238, 110, 254, 126

141, 13, 157, 29, 173, 45, 189, 61, 205, 77, 221, 93, 237, 109, 253, 125  
 140, 12, 156, 28, 172, 44, 188, 60, 204, 76, 220, 92, 236, 108, 252, 124  
 139, 11, 155, 27, 171, 43, 187, 59, 203, 75, 219, 91, 235, 107, 251, 123  
 138, 10, 154, 26, 170, 42, 186, 58, 202, 74, 218, 90, 234, 106, 250, 122  
 137, 9, 153, 25, 169, 41, 185, 57, 201, 73, 217, 89, 233, 105, 249, 121  
 136, 8, 152, 24, 168, 40, 184, 56, 200, 72, 216, 88, 232, 104, 248, 120  
 135, 7, 151, 23, 167, 39, 183, 55, 199, 71, 215, 87, 231, 103, 247, 119  
 134, 6, 150, 22, 166, 38, 182, 54, 198, 70, 214, 86, 230, 102, 246, 118  
 133, 5, 149, 21, 165, 37, 181, 53, 197, 69, 213, 85, 229, 101, 245, 117  
 132, 4, 148, 20, 164, 36, 180, 52, 196, 68, 212, 84, 228, 100, 244, 116  
 131, 3, 147, 19, 163, 35, 179, 51, 195, 67, 211, 83, 227, 99, 243, 115  
 130, 2, 146, 18, 162, 34, 178, 50, 194, 66, 210, 82, 226, 98, 242, 114  
 129, 1, 145, 17, 161, 33, 177, 49, 193, 65, 209, 81, 225, 97, 241, 113

The output of this algorithm is as follows:

Bit 144 represents the first bit of the output block, while bit 16 represents the second bit of this block, and so on until bit 113, which represents the last bit of the output block, is reached.

### 3.3 Compass function

This function is called compass function because it can replace a location of a bit from input depending on secret key. Compass function receives 64(8x8) bit and returns 64(8x8) bit without any change in the size, the process of it cuts the first 4 bits from the input and if the first bit is 1, it replaces location 2 with location 4 depending on the secret key, otherwise those bits are still as they are. The same thing is done to the second four bits by replacing location 2 with 4 when the second bit is 1. This process is continued until the last 4 bit is reached. A 16 bits secret key for each 64(8x8)bits are needed, this secret key is called the mask bit generator from the input secret key, which will be explained in equation (1) :

$$P(B,i,j,k,l)=P(B,i,l,k,j),\dots\dots\dots(1)$$

When B denotes to the number of block (its 16 block from input) and i,j,k,l denotes to the location of bits 1,2,3,4 in same block, those bits are replaced to 1 4,3,2 when the condition is true.

The compass function have some impotent properties, they are:

- ❖ This function uses 16 bits for each part, the proposed algorithm has four parts (four compass functions). This means that the total number of key bits are  $4 \times 16(64)$  for each round (i.e. 1024 bits are needed), those keys are not entered by user but are driven from the secret key using special generator. Thus, the compass function can be considered as key-dependant permutation because it depends on the replace key, and any change on the replace key will replace the location of bits. On the other hand,  $IP$  and  $IP^{-1}$  are fixed permutation but the compass depends on secret keys.
- ❖ X-OR function is intermediate stage between compass and compass<sup>-1</sup> function, that good provide avalanche properties.

### 3.4 X-OR function

X-OR function is 64 bits input and output function. The 64-bit inputs are ordered as one-dimensional array, show in figure(2), this array is X-ORed with 64 bits secret key .The input and output have the same size without any change.

The importance of the X-OR function is that, the secret key changes or not changes the input block. Four X-OR function and 64 bits key for each X-OR are needed, so the total number of the keys bits are (4096 bits) in all the rounds of one block. The secret key is called the X-OR key. The key used in the X-OR function is generated from keys generator, which will be explained later.

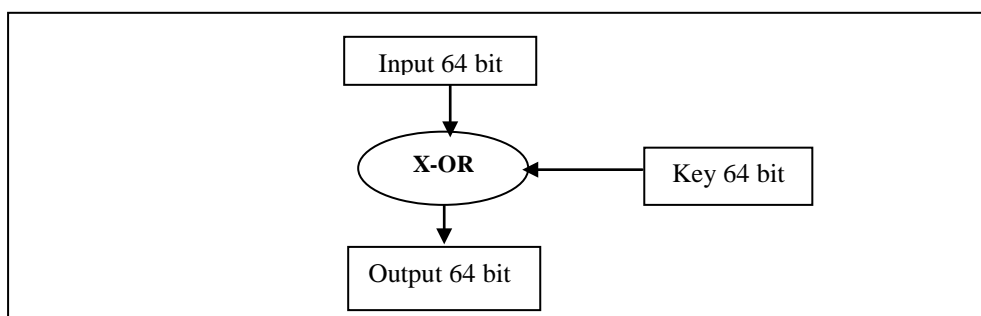


Figure (2) Single X-OR function

### 3.5 Merge function



The S-box function is used 256 bits as input, when the outputs from previous stage are 64 bits of each compass function. Must merge outputs of all compasses to make 256 bits. The merge function works that process.

### 3.6 S-BOX function

S-box function is a 256-bit input and output. The 256 bits input is ordered as 16x16 matrices, the sixteen rows performed in the process to sixteen rows output. The S-Box consists three stages:

**First stage : Xoring the original matrix 256 bit with mask S-box, which mask S-box is matrix 256 bit from generator keys**

**Second stage: Computes the non-linear function for each row by the following algorithm.**

**Algorithm non-linear function in S-box :**

**Begin**

Convert the bit in position 0

$B(j, 0) = a(j, 0) \text{ Xor } 1$                       Where j is the row id

Put the value of the first location bit in i

$i = a(j, 0)$

For each k=1 to 16 do

**Begin**

Compute  $b(j,k) = i \text{ Xor } 1 \text{ Xor } a(j,k)$

Modify i as  $i = i$  and  $a(j,k)$

**End**

Increment the row number (j) and go step 1.

**End**

In the proposed algorithm, a function with 16-bit input and 16 bit outputs is used for each row.

This non-linear has some properties:

A: The non-linear function designed to be of the same inputs and outputs sizes.

B: The output from this function never results in the same sequence and the output will repeat after  $2^n$  trail.

C: Confusion and diffusion: By using the non-linear in |S-box a confusion on the resulting output can be noted, beside, a diffusion will be increased because whenever a zero is located in the sequence the rest of the sequence will be converted.

### Third stage: Replace and rotate function

This function replaces the first row with the second row in the first process. In the second process, it shifts and rotates bits from left to right. Shifting and rotating time depends on row number. This process performed from row number 3 to row number 16. Row number 3 is shifted and rotated by 1 to right, and row number 4 is shifted and rotated by 2 and so on until reaching the last location. In decryption, the process is done in reverse order, in the first stage the second row is replaced with the first row, while the second stage consists of shifting and rotating from right to left depending on row number. S-box can be explained in the figure (3).

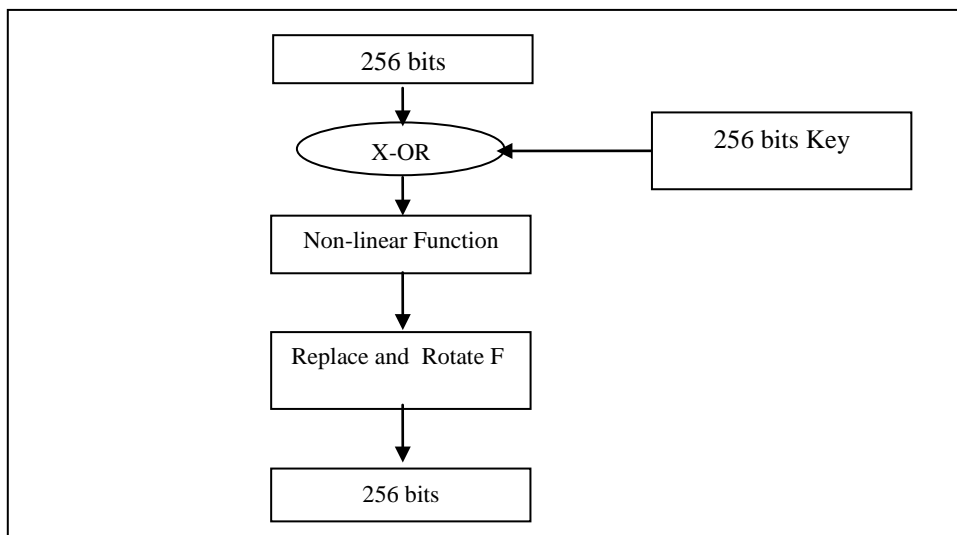


Figure (3) diagram of S-Box

### 3.7 Key (session keys) Generator Process

In the proposed algorithm, multi deference keys are needed to use in encryption and decryption. The types of them are:

1. The compass function needs 16 bit key for each part, the total bits in one round  $4*16=64$ , (there are four resulting parts after splitting 256 to 64 bits), and in all rounds the total keys number is  $64*16=1024$  bits. The same key is used in compass<sup>-1</sup> function, in other words, the 16

bits are used in each part and the part is repeated 16 rounds which equal 256, and because there are four parts the total number is  $256*4=1024$ .

2. The key used with X-ORing in X-OR function is 64 bits key and because there are four parts on X-OR stage, the total number of one round is 256 and the total number of all rounds is 4096 bits.
3. In S-Box stage, a 256-bit plain block X-ORed with mask S-Box, the mask size is 256 bit, for each round and the total number is  $256*16=4096$  bits.

The total numbers of the using keys are very long, which is difficult to enter by the user, so, a new generator technique is used. This technique uses 64 bits input (secret key are entered by the user) and then generates the remaining keys (replace keys, X-OR keys and mask keys). Those keys will be explained below:

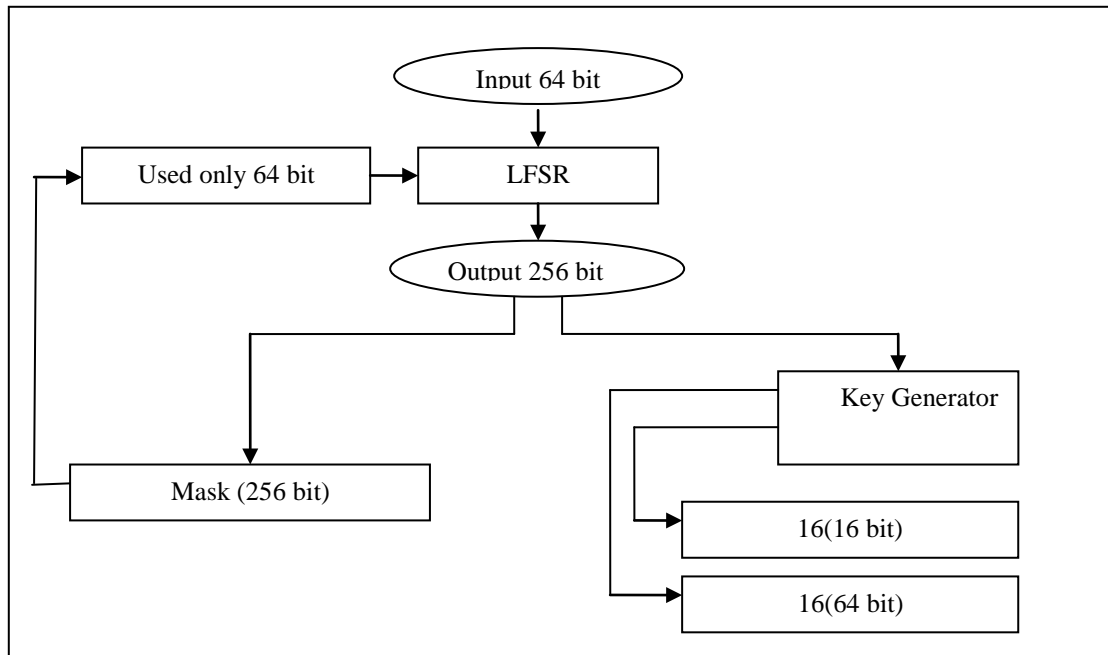
### 3.7.1 Key schedule

The generator machine of the keys that are used in the algorithm inputs 64 –bits by the user as a secret key and outputs multi keys with different sizes, the machine consists of two parts:

✚ **LFSR function.(Linear Feedback Shift Register)**

✚ **Keys generators.**

The input to LFSR function is 64 bit from the user as secrete key and the output is 256 bit as randomness key(explained later) ,this key is given to the next stage or keys generators stage to generate two arrays ,one array is called compass keys array, ,and the second one is called X-OR keys array . This will be explained in the following figure

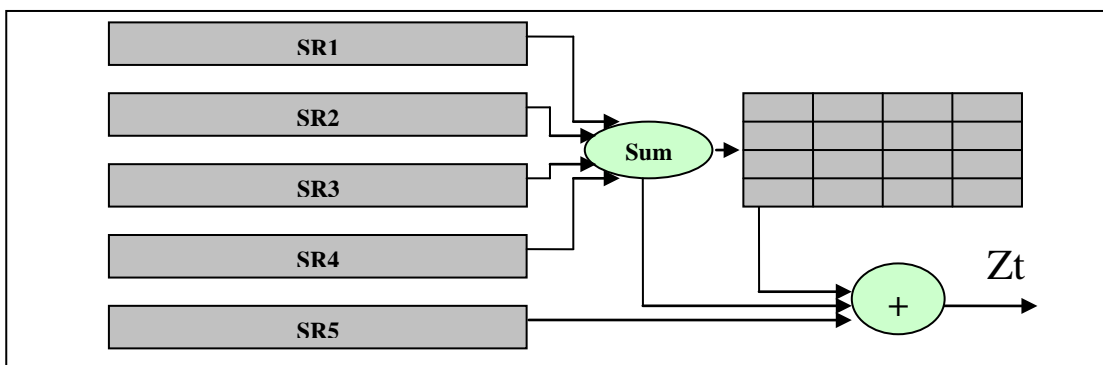


**Figure (4) Diagram of LFSR and Key Generator**

On the other hand, the output from LFSR function is used as mask S-Box key; the total numbers of mask keys are 16 masks key. In the first round the first output goes to LFSR, in second round only 64 bits are cut from the old mask key and inputs to LFSR to generate new 256 bits and so on until reaching the last round.

### 3.7.2 LFSR function

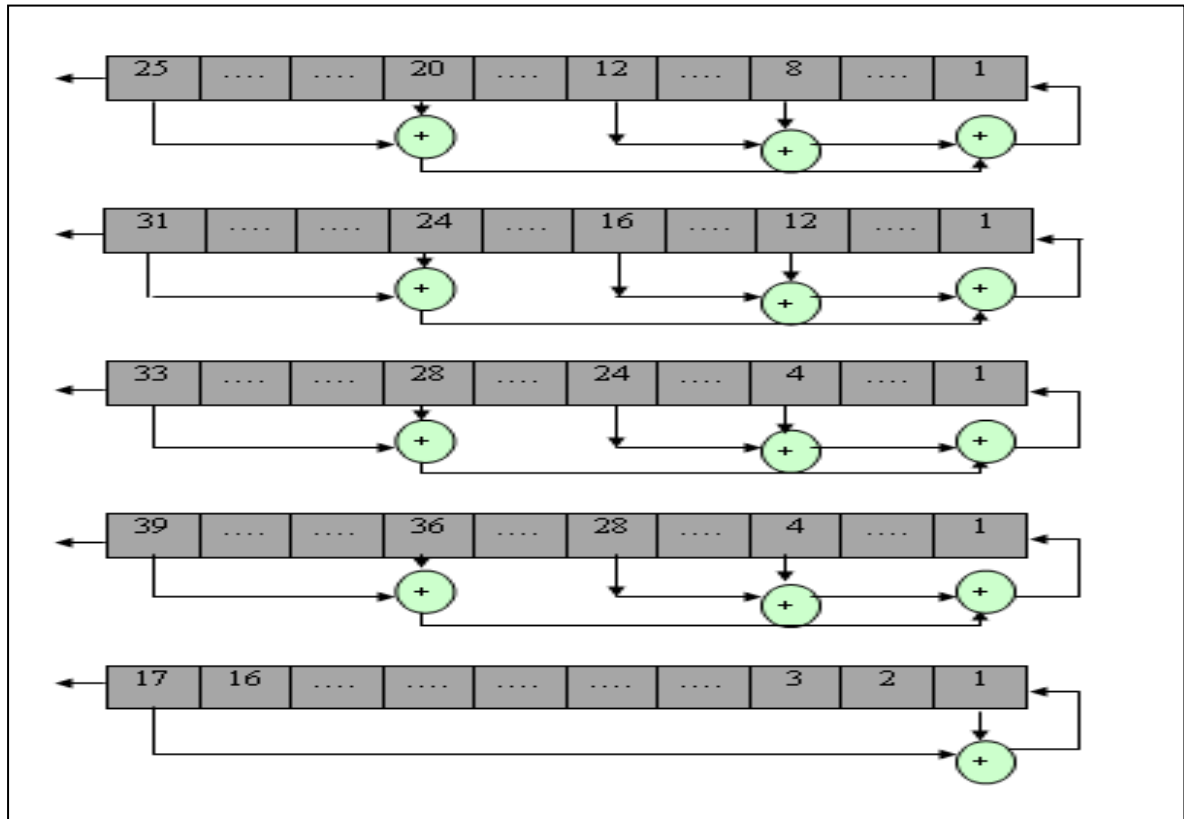
The new design of LFSR function base on stream cipher are present as a new random key generator used to provide 256-bit key for the proposed block cipher algorithm. The design of the key stream generator shown in the following figure consists of (5) linear feedback shift registers (LFSR<sub>s</sub>), denoted by LFSR<sub>1</sub>, LFSR<sub>2</sub>, LFSR<sub>3</sub>, LFSR<sub>4</sub>, and LFSR<sub>5</sub> with lengths: L1=25, L2=31, L3=33, L4=39, L5=17



**Figure (5) LFSR function**

In addition, the primitive feedback polynomials:

$$P_1(x) = x^{25} + x^{20} + x^{12} + x^8 + 1, P_2(x) = x^{31} + x^{24} + x^{16} + x^{12} + 1, P_3(x) = x^{33} + x^{28} + x^{24} + x^4 + 1, P_4(x) = x^{39} + x^{36} + x^{28} + x^4 + 1$$



**Figure (6) LFSR<sup>s</sup> functions**

**OUTPUT: 256 Bits (Master secret key)**

**Begin**

**For k=1 to 256 do**

**Begin**

**For i=1 to number of register do**

**Begin**

Feedback=0.

**For j=1 to length of register (i) do**

Feed=feed X-or sr(i,st(i,j)).

**For j=length of register (i) down to 2 do**

Shift to left one location.

Put feed in first location.

Put feed in out array.

**End**

Out-bit=out(1) X-or out(2) X-or out(3) X-or out(4)

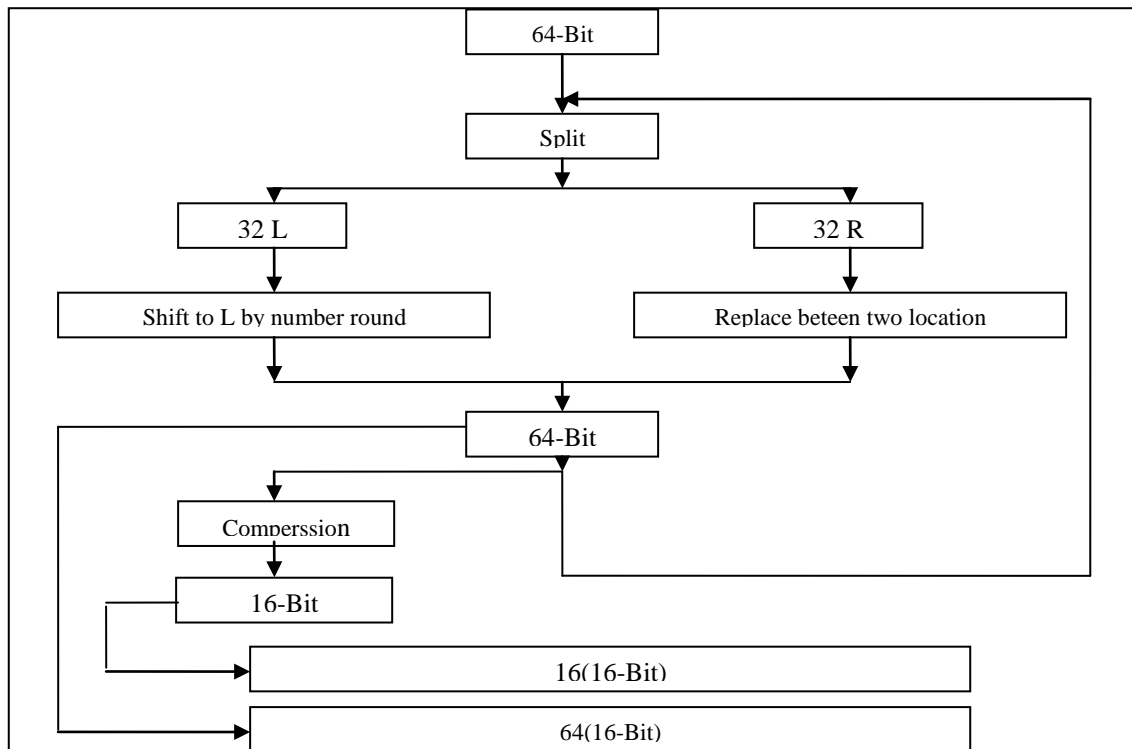
Find sum bit from out-bit

Final out (k)=ep(sum) X-or out-bit X-or out(5)

**End**

**End**

The Proposed algorithm used to generate 256 bit as output, and the input are 64 bit as secret key enter by user ,in addition is used many matrix are used as **st** and **sr** ,where **st** has the parameter of feedback function and **sr** presentation of initial values of SR. The output from LFSR functions is random and can test in five test of the randomness tests. A new algorithm has been proposed to generate two types of array keys (compass, X-OR keys), which can be explained in the following figure:



**Figure (7) block diagram of Keys Generator**

Kay generator function used the output from LFSR as input, arrays generator can be explained in algorithm:

**Algorithm Generator Keys:**

**INPUT:** 64 BIT

**OUTPUT:** TOW ARRAY ONE DIMANTION

X-OR ARRAY 16(16 bit)

REPLACE ARRAY 16(16 bit)

**For i=1 to 16 do**

**Begin**

1. Split 64 bit to 32L and 32R
2. Shifted left by number round
3. Replace between two locations
4. Merge new 32L and 32R
5. Put new 64 bit in X-OR array in index i
6. Compression 64 bit to 16 bit
7. Put the 16 bit to replace array
8. The output from step 5 goes to step 1

**End**

After this process the system have are array of replace keys 16(16 bit)and array of X-OR keys 16(64 bit).

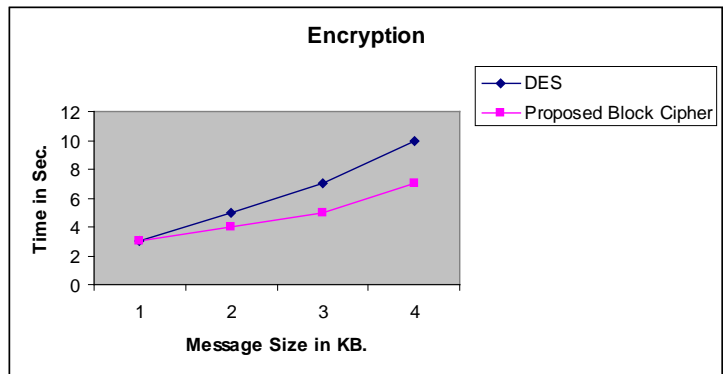
#### **4. The Proposed Algorithm Versus DES**

In this part, we will discover some aspects of evaluation concerning speed, complexity and resistance against known attack as a comparative study with DES block cipher system. the speed of the proposed algorithm and DES is non equivalent. The S-box function of DES is an 8-tick time consuming function because there are 8 s-boxes perform serially. In the proposed algorithm, the s-box is take an 1-tick time consuming function because there is 1 S-box perform in parallel-wise each of rows to calculate the output. We are programming these algorithm in Visual basic.Net on P4 with CPU 1.7G.B and RAM 512G.B, then we apply it to massages that have different sizes, we take plaintext of 1K then encrypt it and compute time of running time of its operation, then we take 2K, 3K, and 4Kand compute the running time of encryption and decryption of each message the following table explains the running time in seconds.

Table (1) total time of the proposed block cipher

Message Size	Operation	DES	Proposed Method
1K	Encryption	3	3
	Decryption	4	2
2K	Encryption	5	4
	Decryption	5	4
3K	Encryption	7	5
	Decryption	8	6
4K	Encryption	10	7
	Decryption	9	7

Used curve to explain the difference in time:



Figure(8) Encryption time

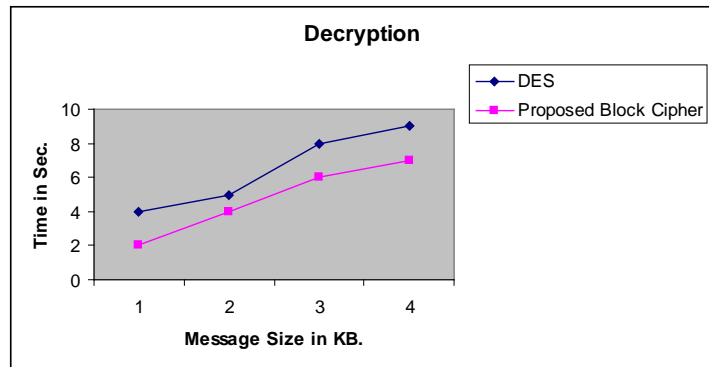


Figure (8) Decryption time

The complexity of any block cipher depends on length key or length block, unless special attack to break through. No publish attack against DES but it is suffering from the weak keys problem. In the DES the length, ok key 56 bits so we need  $2^{56}$  trials to find the correct key as brute force attack. In other hand, the complexity for proposed algorithm is  $2^{256}$  because the key is 256 bits length.

## 5. Conclusions



1. The proposed block cipher algorithm enhances two criteria of standard block cipher which are confusion and diffusion.
2. The proposed block cipher algorithm is developed to increase the complexity degree against the attacker task by consuming more time to achieve the analytical process.
3. The proposed block cipher is different in using different initial permutation and final permutations, and using different round permutations, and using different S-box, and using different round content.
4. The proposed algorithm is implemented as a software in terminal devices by simplify the process operations and reduce the consumed time based on partitioning the block itself to achieve the task of multiprocessing and use a new technique in designing the S-Box, because the cost of using hardware is expensive.
5. The proposed block cipher algorithm increases the randomness of the used secret key by expanding the original key through the stream generator which gives higher randomness as a new long secret key with higher randomness property.

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